Maths - Year 6

Measurement 4: Volume and scaling

	Key Vocabulary	Mathematical
Volume	How much space something takes up.	Skills
Units of measure for length	Millimetres (mm), centimetres (cm), metres (m), kilometres (km).	culate the volume of a cuboid and that the
Area	Area An amount of surface.	
Units of measure for area	Square millimetres (mm ²), square centimetres (cm ²), square metres (m ²), square kilometres (km ²).	order. - Know that 1 cm ³ is a
Units of measure for volume	Cubic millimetres (mm ³), cubic centimetres (cm ³), cubic metres (m ³), cubic kilometres (km ³).	volume and is equal to 1 ml, the liquid
Square numbers	When a number is multiplied by itself, the product is called a square number.	volume equivalent. - Compile a list of
Cube numbers	When a number is multiplied by itself twice, the product is called a cube number, e.g. $2 \times 2 \times 2 = 2^3 = 8$, so 8 is a cube number.	equivalences for metric units of length, area and volume
Scaling up/down Enlarge/reduce	Describes the amount by which something is increased or reduced to make it larger or smaller in proportion, e.g. when scaling up a recipe for 2 to a recipe for 6, you would multiply the quantities by 3.	area and volume.
Scale factor	Describes the factor by which the length of each side is multiplied when a shape is made larger or smaller in proportion.	
Ratio	A way of comparing two or more quantities measured in the same units, e.g. if a is 3 times as much as b this comparison can be written as the ratio $a : b$ is 3 : 1.	
Proportion	Used to express a fraction of a whole, e.g. the proportion of grapes in a bag that are green could be expressed as $\frac{1}{2}$.	

Mathematical Methods

- Identifying a formula for calculating the volume of a cuboid.



Volume = length × width × height or $V = l \times w \times h$.



- Solving problems using understanding of the volume of a cuboid

E.g. Use $V = I \times w \times h$ to solve h.



Exploring units of volume.

Length	Area	Volume
10 mm = 1 cm	$100 \text{ mm}^2 = 1 \text{ cm}^2$	$1000 \text{ mm}^3 = 1 \text{ cm}^3 = 1 \text{ ml}$
100 cm = 1 m	$10\ 000\ cm^2 = 1\ m^2$	l 000 000 cm ³ = l m ³ = 1000 ℓ
1000 m = 1 km	$1000000\text{m}^2 = 1\text{km}^2$	$1000000000m^3 = 1km^3 = 1000000000000\ell$

- Understanding scaling and similar shapes.

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Cuboid 3	Scale factor	Width (cm)	Length (cm)	Height (cm)
А		3	6	3
В	3	9	18	q

- Investigating the effect of scaling on length and area.

2 1	2 × 4	2 4 9	2 × 16

Scale fac	Area (square units)	Side length (units)		Oblong
ior iong	2	2	T	А
I	8	4	2	В
2	18	6	3	С
3	32	8	4	D
4				

Scale factor for area
$ = ^2$
$4 = 2^{2}$
$9 = 3^{2}$
16 = 4 ²

Can you..?

- A scaled drawing of an oblong measures 5.5cm x 6cm. Can you work out the area of the actual oblong which is 6 times larger?

- A cuboid with a volume of 72cm³ is scaled up by 4. Can you work out the new cuboid's volume?